

# Dynamic Political Investigations: Obstruction and the Optimal Timing of Accusations

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# Political Investigations and Obstruction

Formal investigations are an important way for voters to learn about candidates and make informed decisions.

Voters react to the findings of these investigations

- ▶ NY Gov. Cuomo Sexual Harassment Probe (2021).

These investigations are high stakes and politicians often obstruct.

- ▶ Trump and the Mueller Investigation (2017-2019).

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- ▶ Release evidence when you find it.
- ▶ Wait to release evidence right before the election (e.g. an October Surprise).
- ▶ Release at an intermediate time.

# Historic Scandals

## October Surprises

- ▶ Dr. Oz dog experiments (10/3/2022)
- ▶ George W Bush DUI charges from 1976 leaked (10/31/2004)
- ▶ Congressman Foley explicit messages to underage pages (9/29/2006)



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## Early Release

- ▶ Trump and Russian Election Interference (5/9/2017)
- ▶ Abu Ghraib Torture controversy (5/6/2004)
- ▶ Bill Clinton Whitewater development (7/1/1994)

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- ▶ Evidence quality and candidate's position in race generate risk preferences for the opposition which drive timing results.
- ▶ Obstruction increases incentives for October Surprises to further reduce voter welfare.

Evaluate policy experiments aimed at reducing obstruction.

- ▶ Plea Bargaining Deals
- ▶ Prolonging Investigations under strong and weak political institutions

## Previous Literature

**Dynamic Persuasion:** Awad and Minaudier (Working Paper 2021); Ball (2019); Bizzotto. Rudiger and Vigier (2021); Che and Mierendorff (Working Paper 2020); Ely (2017); Renault, Solan and Vieille (2017); Shimko (Working Paper 2022).

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**Scandals:** Cameron (2002); Nyhan (2015, 2017); [Gratton, Holden and Kolotilin \(2018\)](#); Howell and Dziuda (2021); Ogden and Medina (Working Paper 2021).



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- ▶ Investigator
- ▶ Median Voter

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Nature draws  $\omega \in \{N(\text{ot guilty}), G(\text{uilty})\}$  w/  $p_0 \equiv Pr(N)$ .

- ▶ Candidate knows  $\omega$ .

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- Obstruction is unobservable

If  $\omega = G$ , bad news shock has arrival rate  $\frac{\lambda}{k_t}$ . If  $\omega = N$ , no shock.

- Bad news shock automatically stops investigation.

# Post-Investigation

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At time  $T^E$ , Median voter votes for candidate or opposition.

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Investigation of length  $T$  has cost  $cT$  where  $c > 0$ .

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Instantaneous cost of obstructing at level  $k_t$  is  $\beta k_t dt$  where  $\beta > 0$ .

# Voter's Payoffs

Utility for selecting the **candidate** is

$$\begin{cases} v_C & \text{if } \omega = N \\ v_C - \alpha & \text{if } \omega = G \end{cases}$$

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**Voter's** payoff for voting for the **opposition** is  $v_A + \varepsilon$ .

- ▶  $\varepsilon \sim \mathcal{N}(0, 1)$  is Voter's private info.

# Histories

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Let  $H_t^\emptyset := \{\{\emptyset, \emptyset\}\}$  be the set of all histories at time  $t$ ,  $h_t$  such that the investigation is still active at time  $t$ .

- ▶ **Investigator** and **candidate** can only take actions at time  $t$  following a history in  $H_t^\emptyset$



# Strategies

Investigator's stopping strategy -

$$\sigma : [0, T^E] \times \{H_t^\emptyset\}_{t \in [0, T^E]} \rightarrow \{\text{stop}, \text{continue}\}$$

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Voter's voting strategy  $s_V : H_{T^E} \times \mathbb{R} \rightarrow \{\text{candidate}, \text{opposition}\}$

# Equilibrium Analysis

# Voter Decision Making

## Definition

Let the **Candidate's Advantage**,  $\Delta(p)$ , be the expected difference in voter utility between the **candidate** and **opposition** for a posterior belief  $p$ :

$$\Delta(p) \equiv v_C - v_A - \alpha(1 - p)$$

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Prob **candidate** wins election when **voter** has belief  $p = \Pr(\omega = N)$ :

$$q(p) \equiv \Pr(v_A + \varepsilon \leq v_C - \alpha(1 - p)) = \Pr(\varepsilon \leq \Delta(p)) = \Phi(\Delta(p)),$$

where  $\Phi$  is the CDF of the standard normal.

# Optimal Obstruction Strategy

## Definition

**Candidate's prize** for not getting caught is the difference in his expected utility between being found guilty and being found not guilty when **voter** holds belief  $p$ :

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## Lemma

*Candidate's optimal obstruction strategy at time  $t$  for an investigation of length  $T$  is:*

$$k_t^*(T) = \sqrt{\frac{\lambda \psi(p_T)}{\beta}} - \lambda(T - t),$$



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Investigator wants to stop learning when the marginal benefit of learning equals the marginal cost.

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The *feasible* optimal stopping time is  $T^* \equiv \min\{T^U, T^E\}$ .

# Equilibrium Characterization

## Theorem

For  $p_0$  sufficiently large, there exists a unique pure strategy PBE:

1. *Investigator* continues for  $t < T^*$  and stops for  $t \geq T^*$ .
2. *Investigator* and *voter* have belief  $p_t = 0$  if shock by  $t$ , o.w:

$$p_t = \frac{p_0}{p_0 + (1 - p_0) \left[ 1 - t \sqrt{\frac{\lambda \beta}{\psi(p_{T^*}^N)}} \right]}.$$

3. *Voter* picks *candidate* if  $\varepsilon < \Delta(p_{T^*})$ , o.w. picks *opposition*.
4. *Candidate's* obstruction strategy  $\{k_t\}_{t \in [0, T^E]}$  is:

$$k_t = \begin{cases} \sqrt{\frac{\lambda \psi(p_{T^*})}{\beta}} - \lambda(T^* - t) & \text{if } t \leq T^* \\ \sqrt{\frac{\lambda \psi(p_t)}{\beta}} & \text{if } t > T^* \end{cases}$$

# Increasing Obstruction

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## Lemma

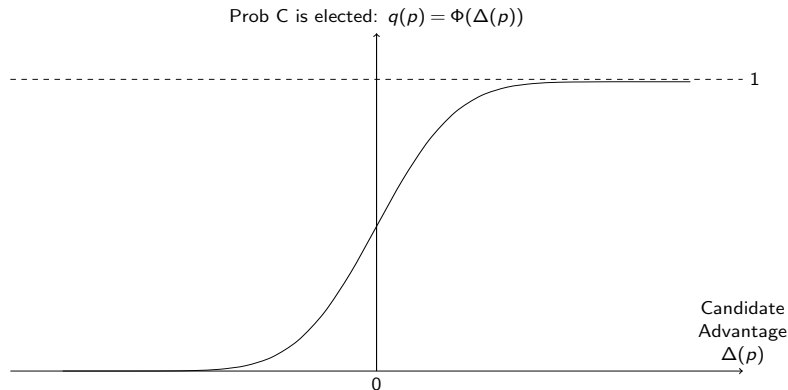
*Fix  $\lambda$  and  $p_0$ . As the terminal equilibrium level of obstruction,  $k_{T^*}$ , increases, the probability of a bad news shock arriving during the investigation decreases.*

- ▶ The terminal equilibrium level of obstruction,  $k_T$ , is sufficient to understand the informativeness of the investigation.
- ▶ Higher terminal obstruction leads to less informative investigations.



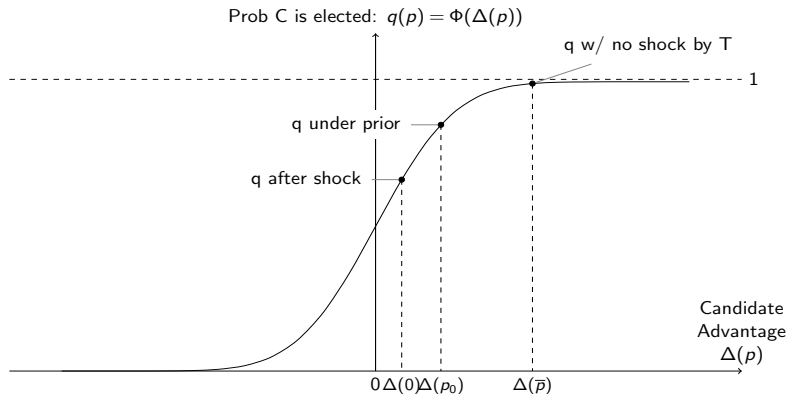
# Comparative Statics on Obstruction

## How Does Increasing Obstruction Impact Candidate's Probability of Election?

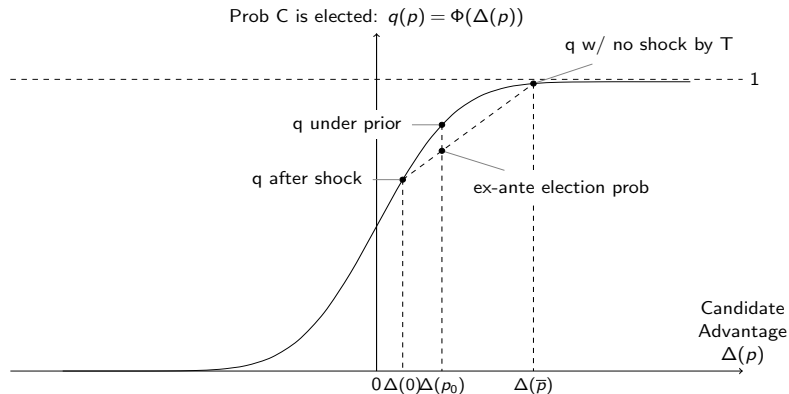


► Recall:  $\Delta(p) := v_C - v_A - \alpha(1 - p)$

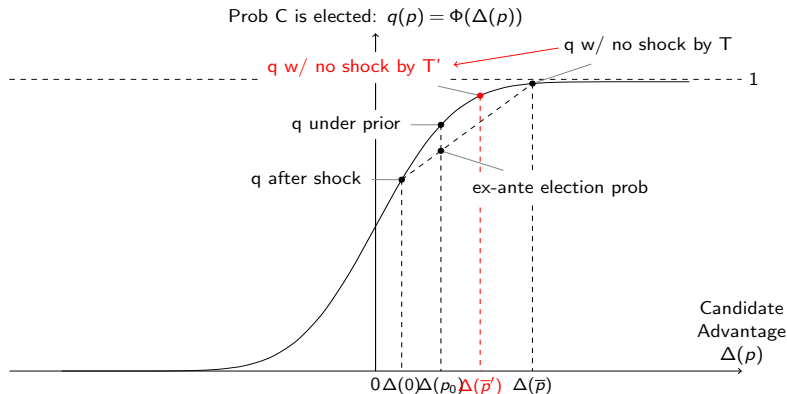
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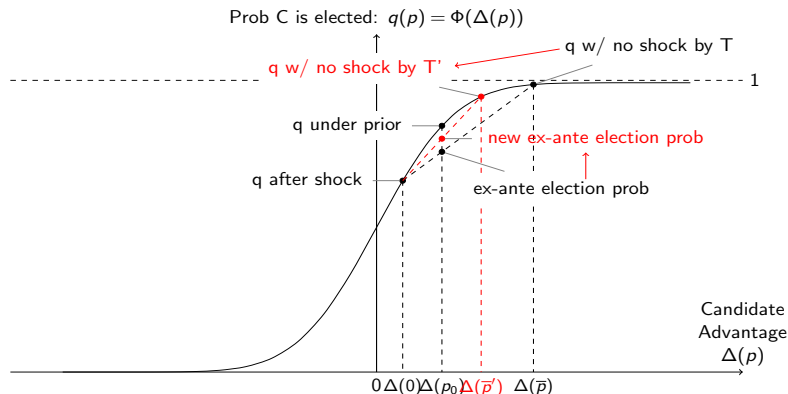


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- ▶ When the **candidate** obstructs more,  $p_T$  is closer to  $p_0$ .
- ▶ Ratio of guilty to innocent candidates elected increases.

## Strategic Timing of Accusations

# Endogenous Timing of Accusations

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Opposition, potentially receives a piece of suggestive evidence:

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If **opposition** receives evidence, chooses release time  $T^A \in [0, T^E]$ .

At  $T^A$ , **voter** & **investigator** form belief  $p_\gamma = \frac{p_0(1-\gamma)}{p_0(1-\gamma) + (1-p_0)\gamma} < p_0$ .

- ▶ Higher  $\gamma$  means more likely to be guilty.
- ▶ **Opposition** has no additional info about credibility of accusation.

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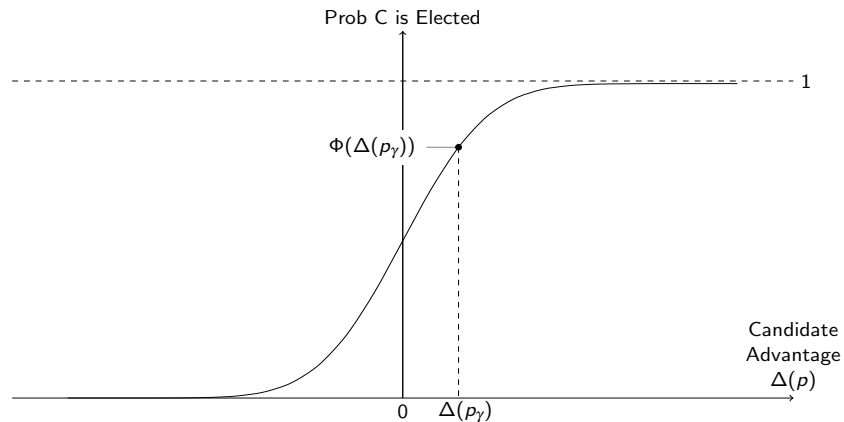
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Game proceeds as before w/ investigation starting at  $T^A$ .

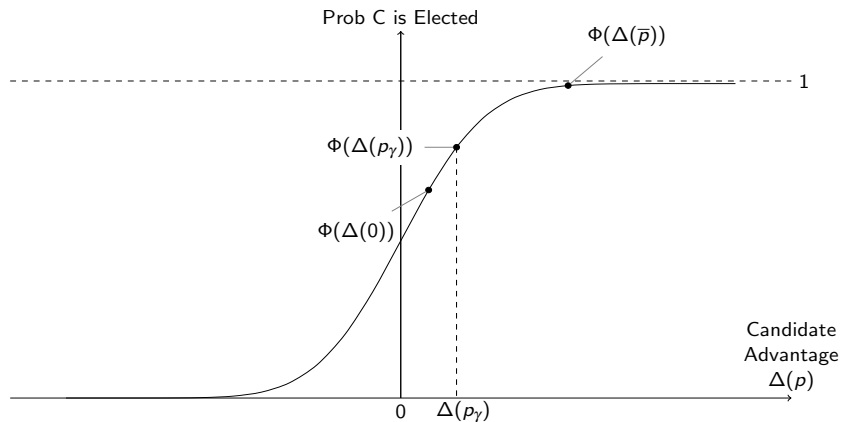
# Types of Races

1. Front-runner:  $v_C - v_A \geq \alpha$ .
2. Underdog:  $v_C - v_A \leq 0$ .
3. Close Race:  $v_C - v_A \in (0, \alpha)$ .

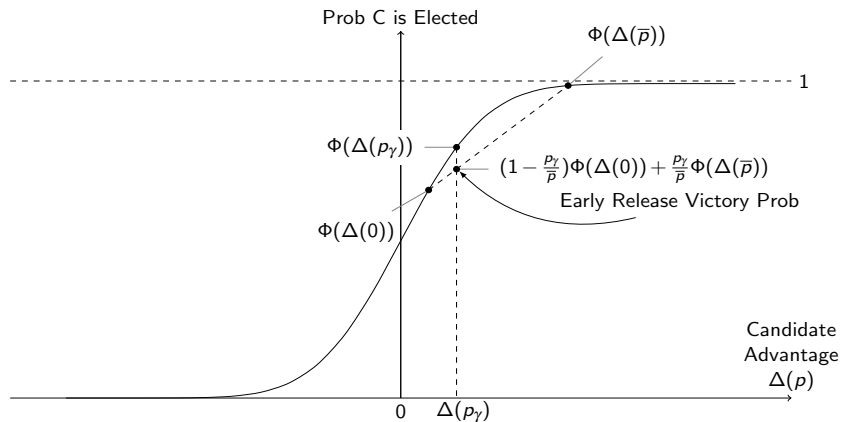
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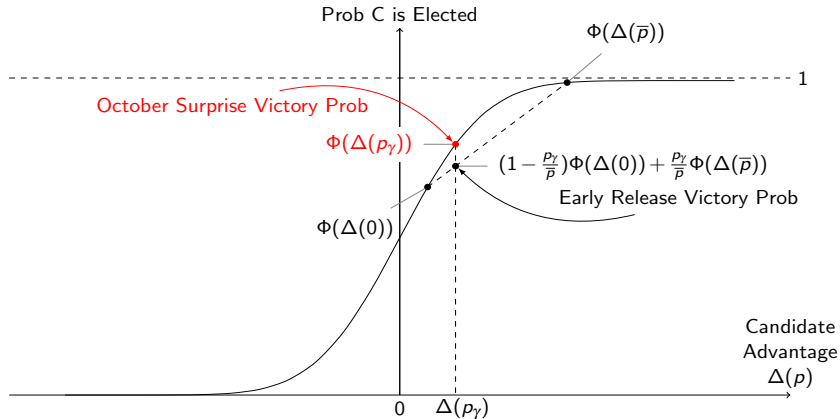


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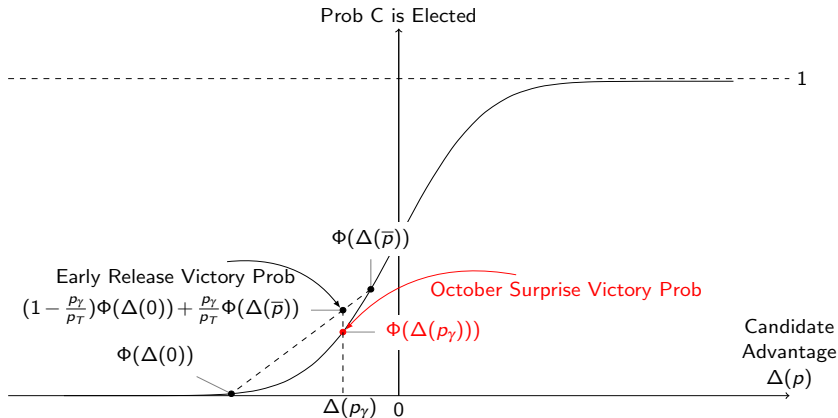
## Case 1: Front-runner Candidate



### Proposition

In a front-runner race, *opposition* releases information *immediately*, at time  $T^A = 0$ .

## Case 2: Underdog Candidate



### Proposition

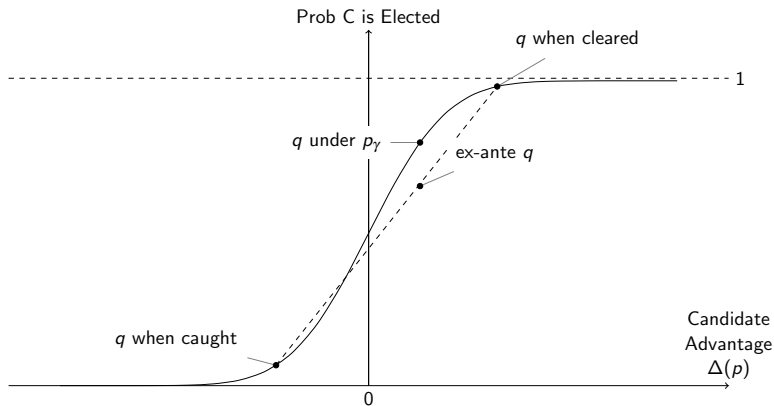
In an underdog race, *opposition* releases information at the *last minute* at time  $T^A = T^E$ , which precludes an investigation (e.g. an *October Surprise*.)

## Case 3: Close Race

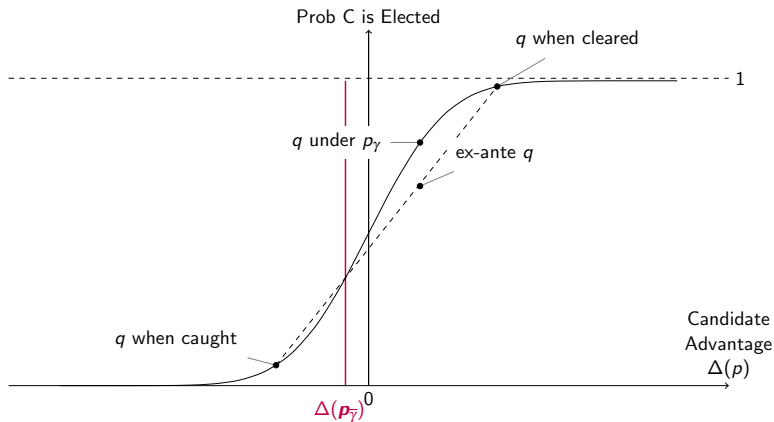
### Lemma

The investigator gathers information until he reaches belief,  $\bar{p}$ , regardless of  $p_\gamma$ , unless  $T^E$  prevents her from reaching  $\bar{p}$ .

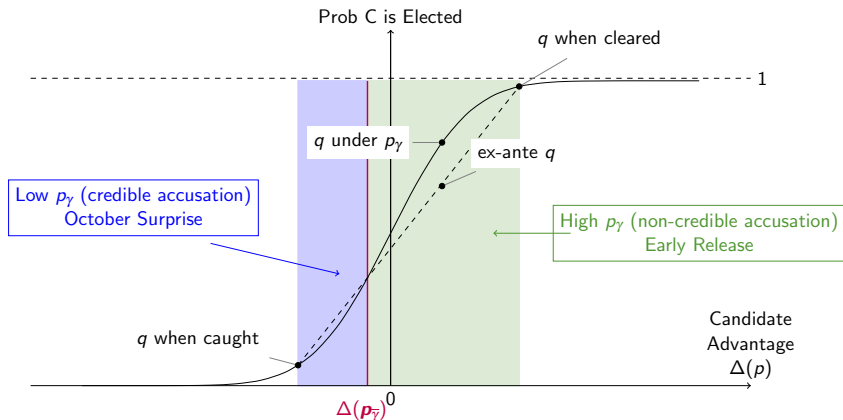
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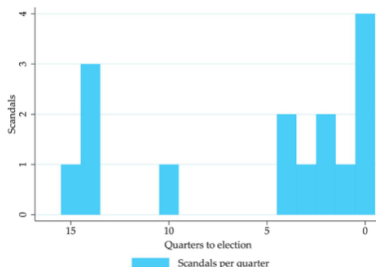


### Proposition

In a close race, there exists a 'credibility cutoff',  $\bar{\gamma} \in (\frac{1}{2}, 1]$  s.t. A releases *more credible* info at the *last minute* ( $T^A = T^E$ ) and *less credible* info *early* ( $T^A = 0$ ).

# Scandal Release Timing: Gratton, Holden, Kolotilin (2018)

**Figure 1** Distribution of scandals implicating U.S. presidents running up for reelection, from 1977 to 2008. Data from Nyhan (2015)



*Rev Econ Stud*, Volume 85, Issue 4, October 2018, Pages 2139–2172. <https://doi.org/10.1093/restud/idx070>  
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# Voter Welfare

## Lemma

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- ▶ Intuition - the later the accusation is released, the shorter the subsequent investigation.
- ▶ Shorter investigations mean voters learn less.

# Voter Welfare

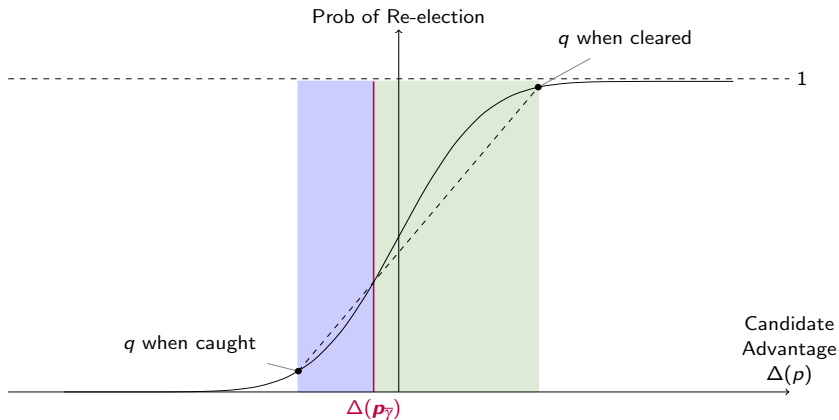
## Lemma

*Voter welfare is decreasing in accusation date  $T^A$ .*

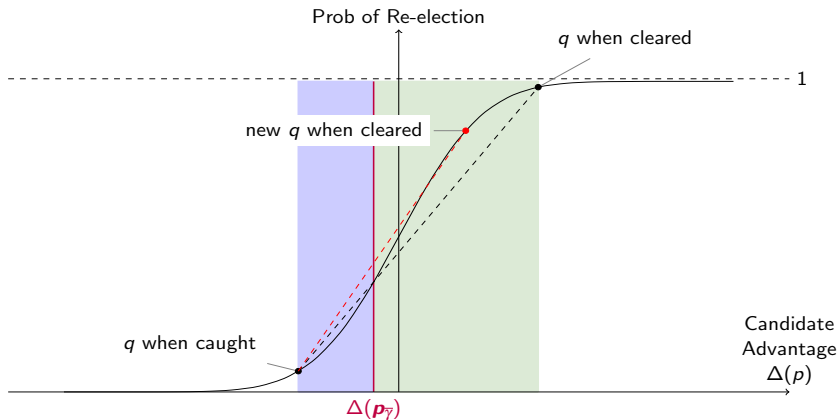
- ▶ Intuition - the later the accusation is released, the shorter the subsequent investigation.
- ▶ Shorter investigations mean voters learn less.

**Implication** - October Surprises are bad for voters.

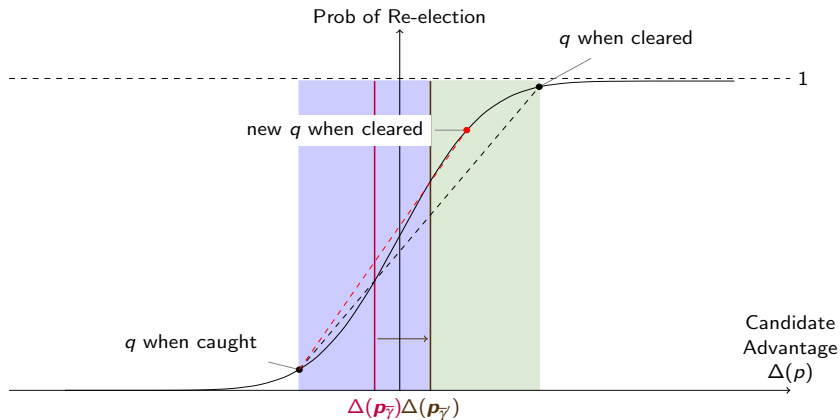
# How Does Obstruction Change the Credibility Cutoff?



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## Proposition

*As obstruction increases, the credibility cutoff,  $\bar{\gamma}$ , strictly decreases and a larger set of accusations are released as an October Surprise.*

# Welfare Implications of Obstruction

Obstruction damages **voter welfare** through two distinct channels:

- ▶ Reduces quality of information obtained from investigation.
- ▶ Increases incentives for October Surprise and no investigation.

# Policy Experiments

# Plea Bargaining

Plea deal lets **candidate** admit wrongdoing immediately for a reduced penalty,  $(\ell_1)$ .

If **candidate** doesn't take deal and gets caught, later pays larger penalty,  $(\ell_1 + \ell_2)$ .

Confessing immediately yields higher payoff than getting caught.



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**Goal** - Increase penalty for turning down the plea deal  $(\ell_2)$  in order to induce confessions.

- ▶ Lower  $p_0$  makes **candidate** more likely to confess.

# How Plea Deals Impact Voter Welfare?

## Proposition

*For a small increase in  $\ell_2$ , there exists a cutoff prior  $\bar{p}_0$  such that:*

- 1. If  $p_0 > \bar{p}_0$ , candidate never confesses and increases obstruction, so voter welfare decreases.*

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- 2. If  $p_0 < \bar{p}_0$  and  $T^U < T^E$  (election is non-binding), **candidate confesses more**, non-confessors obstruct more, and **investigator** exerts less effort. **Voter welfare decreases**.*

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- 3. If  $p_0 < \bar{p}_0$  and  $T^U > T^E$  (election is binding), **candidate confesses more**, non-confessors obstruct more, and **investigator's** effort choice is the same. **Voter welfare increases**.*

# Intuition

# Extending the Investigation Past Election Day

Suppose **investigator** can continue investigating after  $T^E$ .

If **candidate** is found guilty at time  $t > T^E$ :

- ▶ Election results unchanged (**candidate** keeps  $B$  if he won).
- ▶ **Candidate** faces penalty  $\ell$ .

# How Does Extending the Investigation Impact Voter Welfare?

## Proposition

*When  $T^E$  binds, extending the investigation beyond  $T^E$  reduces equilibrium obstruction between  $t = 0$  and  $T = T^E$ , improving voter welfare.*



# How Does Extending the Investigation Impact Voter Welfare?

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## Intuition

- ▶ Prize for reaching election day without detection lower because candidate still might face penalty in the future.
- ▶ Less incentive for candidate to obstruct in the lead-up to election day.
- ▶ Better for voter.

## Extension's Effect on Timing

Now consider how extending the election deadline affects the **opposition's** strategic timing of information release.

### Corollary

*In the augmented timing model, extending the investigation beyond  $T^E$  increases the credibility cutoff,  $\bar{\gamma}$ .*

- Leads to fewer October Surprises.

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- Idea - **candidate** really doesn't want to lose now because that's the difference between the investigation ending and continuing.

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**Answer:** No.

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  - ▶ Chance **candidate** still has to pay it if he loses election.

Lower obstruction during election cycle when **investigator** continues past  $T^E$ , even under weak institutions.

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  - ▶ Issue caused by **investigator's effort substitution**
- ▶ Investigating past election day helpful whenever the investigation would otherwise end close to election day.
  - ▶ Holds even when political institutions are weak.

THANK YOU FOR YOUR ATTENTION!

# Optimal Stopping Time of the Investigation

I want to stop learning when:

$$\underbrace{\underbrace{\text{add'l value of shock}}_{\chi} \times \underbrace{\text{Posterior of } G \text{ at } t}_{(1-p_t)} \times \underbrace{\text{inst. prob of shock given } G}_{\frac{\lambda}{k_t}}}_{\text{Marginal Value of Learning}} = \underbrace{\text{instantaneous learning cost}}_c$$

Marginal Cost of Learning

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- The optimal *unconstrained* stopping time  $T^U$  is the unique solution to the equation.